

# Regulation and Competition with Captive Customers

John Vickers

Zeeman Lecture  
RPI Annual Conference  
Oxford, 24 September 2018

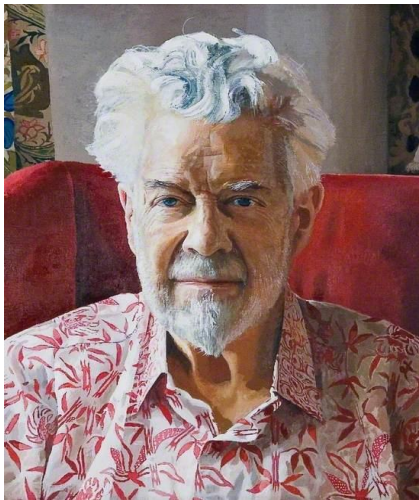
Privatization

Monopoly Regulation

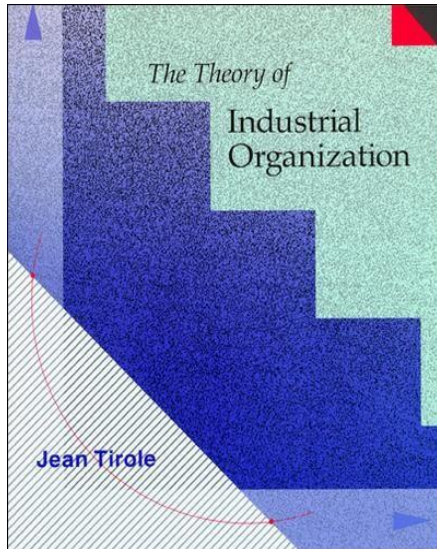
Competition Policy

Consumer Policy

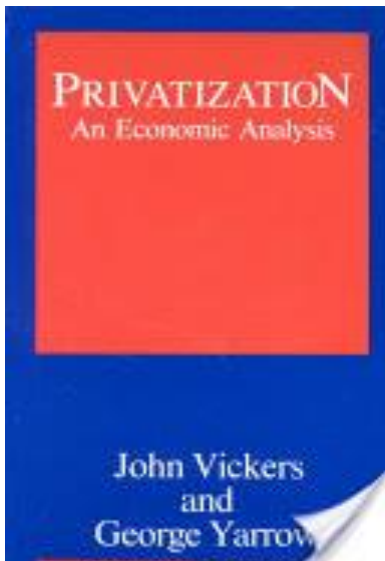
1988



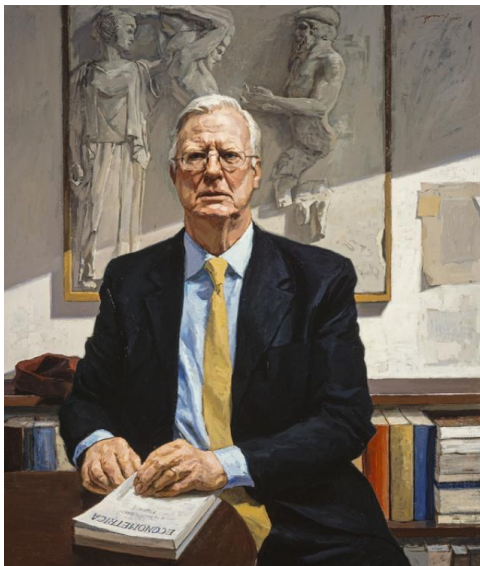
1988



1988

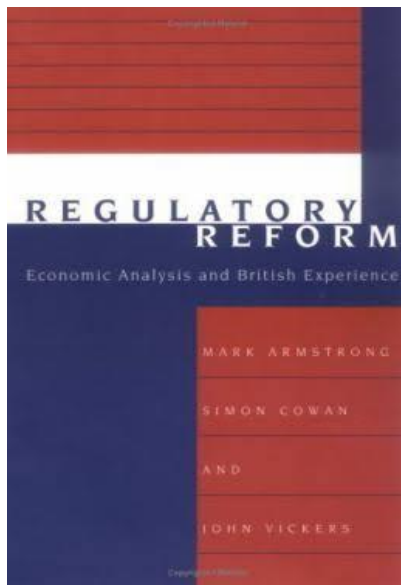


# Jim Mirrlees (1936-2018)



“I followed the main principle for academic success: get a good co-author (and also the second: get another)”

# Regulatory Reform





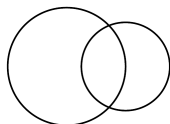
# Topics of recent work with Mark Armstrong

- Consumer protection and the incentive to become informed (with Jidong Zhou)
  - Prominence and consumer search (ditto)
  - Competitive nonlinear pricing and bundling
  - A model of delegated project choice
  - Consumer protection and contingent charges
  - Which demand systems can be generated by discrete choice?
  - Multiproduct pricing made simple
- 
- Competition with captive customers

# Competition With Captive Customers

Mark Armstrong & John Vickers

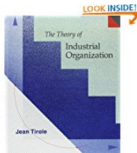
Summer 2018



- “Captive” customers only consider a particular seller; others consider several sellers and choose cheapest one
- Interpretations:
  - consumers differ in awareness of sellers (Varian, Burdett & Judd, etc.)
  - horizontal differentiation, where only subset of consumers find a seller’s product suitable
  - chain stores face local competition in some locations but not others
  - consumers differ in default bias or willingness to switch supplier
  - consumers differ in ability to compare deals, and confused consumers buy randomly (Piccione & Spiegler 2012, Chioveanu & Zhou 2013)

- Uniform pricing:
  - a seller must charge the same price to all its customers
  - Bertrand competition typically involves mixed strategies (inter-firm price dispersion)
- Price discrimination:
  - assumption is a seller knows whether a consumer is captive or not, and can price accordingly
  - e.g., a customer who calls her existing supplier to say she's considering switching may be offered a "special discount", while inert consumers remain on the default tariff
  - or chain store sets higher prices in markets with limited local competition
  - Bertrand competition then involves pure strategies (but with intra-firm price dispersion)
  - current policy issue is whether to ban this form of price discrimination in energy and related markets

# Price dispersion online



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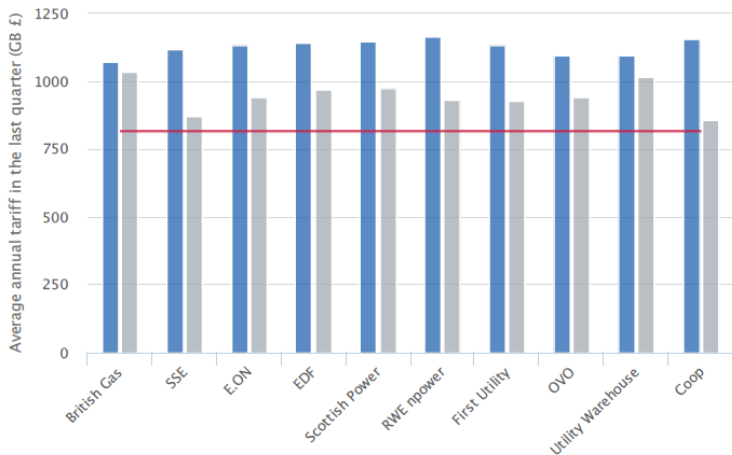
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# Price discrimination by energy firms in UK

Average tariff prices by supplier: Standard variable vs cheapest available tariffs (GB £)



■ Supplier's average annual standard variable tariff

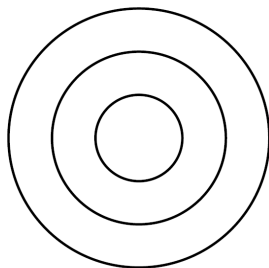
■ Supplier's cheapest annual average tariff

— Market cheapest annual average tariff

- $n$  sellers with costless production
  - exogenous fraction of consumers consider the set  $S \subset \{1, \dots, n\}$  of sellers for their purchase
  - consumer buys from seller she considers with the lowest price and has demand function  $q(p)$ , same for all consumers
  - profit function  $\pi(p) \equiv pq(p)$  single-peaked up to monopoly price  $p^*$
- General features of equilibrium with uniform pricing:
  - equilibrium exists (Dasgupta & Maskin 1986)
  - each firm's profit is at least equal to the number of its captive customers times  $\pi(p^*)$
  - if a price is sometimes chosen, at least two firms sometimes choose it
  - there are no gaps in the set of prices sometimes chosen: if  $p_0$  is minimum price ever chosen, all prices  $[p_0, p^*]$  are sometimes chosen
  - duopoly is special: firms have same price support which is an interval

# Particular patterns of awareness

- Duopoly [Narasimhan 1988]
- Consumers either know all sellers or one random seller [Varian 1980]
- Symmetric sellers [Burdett & Judd 1983]
- Independent reach [Butters 1977, Ireland 1993, McAfee 1994]
- Nested reach:



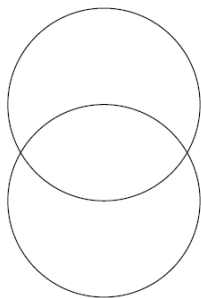


# Talk addresses two issues

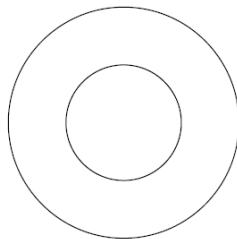
- Price discrimination in duopoly
- Uniform pricing with more than two sellers

# The impact of price discrimination

- Consider a duopoly market



symmetric reach



nested reach

- Left-hand picture has equal numbers of captives
- In right-hand picture the smaller seller has no captives
  - e.g., smaller seller is an entrant who is able to serve those customers of the incumbent with low switching costs

# The impact of price discrimination

- Price discrimination:
  - contested consumers get competitive price  $p = 0$
  - captive consumers get monopoly price  $p = p^*$
  - each seller obtains its captive profit
- Uniform pricing:
  - both sellers choose price in interval  $[p_0, p^*]$
  - larger seller obtains its captive profit
  - smaller seller obtains more than its captive profit
- Comparison:
  - industry profit lower with discrimination (equal if market symmetric)
  - distribution of profit across consumers is more dispersed with discrimination (a mean-preserving spread if market symmetric)
  - a ban on discrimination helps captive customers and harms contested customers, but overall impact?

# The impact of price discrimination

- Useful perspective is “expected utility theory”
  - regard a consumer’s surplus  $v(\pi)$  as a (decreasing) function of the profit  $\pi$  she generates
  - “competition in utility space” [Armstrong & Vickers 2001]
  - $v(\pi)$  is *concave* if elasticity  $-pq'(p)/q(p)$  increases with price
  - unit demand [ $q(p) \equiv 1$  if  $p \leq 1$ ] corresponds to “risk neutrality”
- In symmetric market, distribution of profit has same mean but greater dispersion with discrimination
  - so consumers in aggregate are *harmed* by discrimination
  - (they are indifferent with unit demand)
- In asymmetric market, distribution of profit has lower mean with discrimination
  - so with unit demand consumers benefit from discrimination
  - under mild conditions [eg.,  $q(p)$  log-concave] with nested configuration consumers *benefit* from discrimination

# Uniform pricing with more sellers

- For simplicity assume unit demand [ $q(p) \equiv 1$  if  $p \leq 1$ ]
  - makes little difference to equilibrium strategies, but makes welfare analysis [too] easy
- We describe a few interesting equilibria:
  - independent reach
  - nested reach
  - “perverse” entry
- Then solve triopoly market

# Independent reach

- Firm  $i = 1, \dots, n$  is seen by *independent* fraction  $\sigma_i$  of consumers
  - Ireland 1993, McAfee 1994
- Suppose firm  $j$  uses CDF  $F_j(p)$  for its price
  - firm  $i$ 's demand with price  $p$  is

$$\sigma_i \prod_{j \neq i} [1 - \sigma_j F_j(p)]$$

- if  $\pi_i$  is firm  $i$ 's profit, for a price in firm  $i$ 's support we require

$$p \times \sigma_i \prod_{j \neq i} [1 - \sigma_j F_j(p)] = \pi_i$$

- This system is easily solved:
  - each firm chooses price from an interval
  - all firms have the same minimum price  $p_0$
  - so profit of firm  $i$  is  $\sigma_i \times p_0$
  - maximum price is lower for firms with smaller  $\sigma_i$

# Independent reach

- Independent reach scenario is easy to analyze, despite asymmetry
  - explicit formulas for industry profit, total welfare and consumer surplus
  - e.g., if firm  $n$  is largest, consumer surplus in equilibrium is

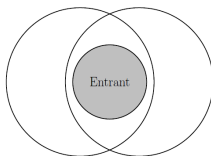
$$1 - \left(1 + \sum_{i=1}^{n-1} \sigma_i\right) \prod_{i=1}^{n-1} (1 - \sigma_i)$$

- [akin to the “Herfindahl index” in Cournot oligopoly]
- Consider entry by a new firm, also with independent reach
  - expands total reach and so boosts total welfare
  - reduces minimum price  $p_0$  and so impact on incumbents is negative
  - necessarily boosts consumer surplus

- Radical departure from independence is nested reach
  - a smaller firm's reach lies *inside* a larger firm's reach
  - only the largest firm has any captive customers
- Example:  $n \geq 3$  sellers with nested reach, where seller  $i = 1, \dots, n$  reaches  $i$  consumers
  - equilibrium takes the form of “overlapping duopoly”
  - threshold prices  $p_1 < \dots < p_{n-1} < p_n = 1$  such that only firms 1 and 2 choose prices in  $[p_1, p_2]$ , only 2 and 3 choose prices in  $[p_2, p_3]$ , ..., only firms  $n - 1$  and  $n$  choose prices in  $[p_{n-1}, 1]$
  - $p_{i+1} = p_i + p_{i-1}$ , so threshold prices proportional to Fibonacci sequence
  - profit of firm  $i$  is  $p_i$
  - small firms only choose low prices, large firms only choose high prices



# “Perverse” impact of entry into contested market



- Suppose a third firm enters a symmetric duopoly market, which is considered only by the contested consumers
  - a natural scenario if “savvy” consumers consider the entrant, and these are the consumers who already consider both incumbents
- The number of captives and total reach is unchanged
  - minimum price  $p_0$  unchanged
  - total profit rises and consumers in aggregate are *harmed* by entry
  - captive consumers surely harmed, as entry induces incumbents to focus more on their captive consumers
  - but even the contested consumers can be harmed

- Independent and nested cases have firms in obvious “order”
  - firms with large reach also have high proportion of captive customers
- But, say, a “niche” firm might have limited reach and also a high proportion of captives
- General solution seems unavailable
- We have solved the model with triopoly
  - solution depends on the seven parameters in the Venn diagram
  - equilibria take just three forms

- Solution depends on the parameters:

$$t_i = \Pr\{\text{see at least } i\} \times \Pr\{\text{see at least } j \text{ and } k\}$$

- with independent reach  $t_1 = t_2 = t_3 = \sigma_1\sigma_2\sigma_3$
- with nested reach largest firm has a larger  $t_i$  than other two
- If  $t_i$  close together equilibrium looks like independent case:
  - “3 then 2”: all firms have same minimum price, then one firm drops out
- If  $t_i$  moderately different:
  - “3 then 2 then 2”: all firms have same minimum price, one firm prices in the whole range, one firm only prices low, and one firm has disconnected support and does not choose intermediate prices
- If  $t_i$  far apart:
  - “2 then 2”, or overlapping duopoly: one firm prices throughout whole range, one firm only prices low, and one firm only prices high

# Concluding themes

- Competitive outcomes depend not only on the number and sizes of firms, but also on the *patterns* of their interactions with customers
- Effects of entry may be non-standard
- Natural form of price discrimination induce “mean-preserving spread” in distribution of profit across consumers
- “Risk averse” consumers are then harmed if firms are symmetric (but not in general)